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*Residual finiteness with respect to conjugacy of some factor-groups of a free product.* Mat. Sb., Nov. Ser. 132(174), No.1, 64-72 (1987).

Let  $F$  be the free product of torsion-free groups  $G_i$ ,  $i \in I$ . Let  $C$  denote the Cartesian subgroup of  $F$  and  $C^{(n)}$  the  $n$ th member of the derived series of  $C$ . Main results: if all  $G_i$  are residually finite with respect to conjugacy and occurrence in cyclic subgroups, then for each natural  $n$  the group  $F/C^{(n)}$  is residually finite with respect to conjugacy; if the conjugacy problem and the problem of occurrence in cyclic subgroups are solvable for all  $G_i$ , then for each natural  $n$  the group  $F/C^{(n)}$  has solvable conjugacy problem.

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